

Nemeth Code Symbols Used in High School and Strategies for Supporting Math Learning

Lesson 4: Formatting Materials for High School Students



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Objectives

Participants will be able to:

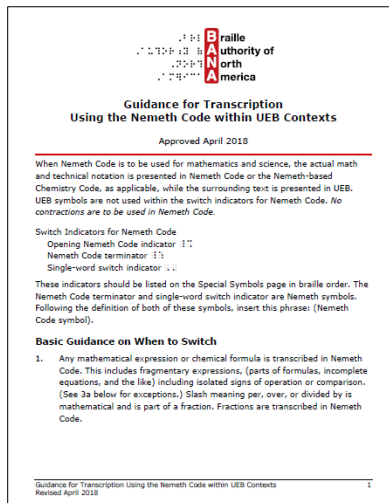
1. Locate and use formatting resources
2. Transcribe and/or prepare the following:
 - Word problems
 - Keeping math expressions together
 - Dividing math expressions
3. Format the following:
 - Headings
 - Directions
 - Numbered problems
 - Formal proofs

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Guidance for Transcription Using the Nemeth Code within UEB Contexts

- Available from the Braille Authority of North America (BANA)
- Information about formatting begins on page 15.
- The new Nemeth Code book has been approved by BANA and should be online later this year!



<https://www.brailleauthority.org/nemeth-code>

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Resource to Use When Transcribing Math Materials

An Introduction to Braille Mathematics Using Nemeth Code within UEB Contexts

- Available from the National Federation of the Blind
- Lesson 12 offers examples of formal proofs.
- Lesson 17 offers examples of matrices and determinants.

<https://nfb.org/programs-services/braille-certification/mathematics-braille-transcribing>

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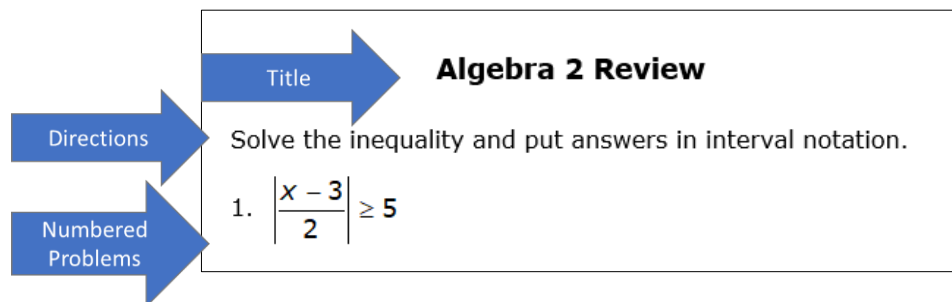
Formatting Basics for High School Students

- Materials are single-spaced.
- BANA refers to titles as “centered headings.”
- Center the title of a worksheet on the first line of the page and leave a blank line following it.
- Follow print for the sequence of problems, punctuation, and capitalization.
- Do not change directions or problems.

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Example of a Worksheet in Print

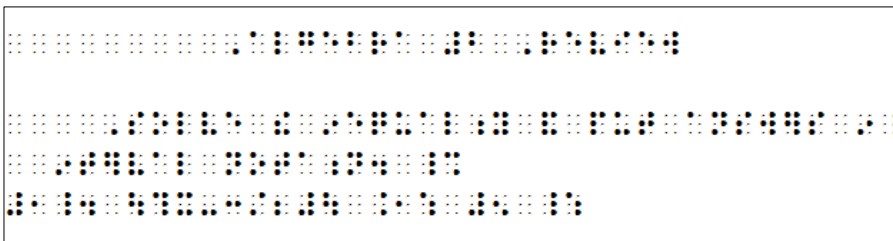


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Example of a Worksheet in Braille

- Begin with a centered heading followed by a blank line.
- Directions begin in cell 5 with runover in cell 3.
- The opening Nemeth Code indicator is placed on the same line as the directions.
- Problems begin in cell 1 with runover in cell 3.
- We chose to close Nemeth after the problem.



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Activity 4A

- Transcribe the worksheet below.

Algebra 2 Worksheet

Solve for x.

1. $(15x^2 - 6) - (-8x^3 - 14x^2 - 17) = 0$
2. $\sqrt{3x - 2} = 4 - x$
3. $4|x + 3| - 7 = 0$

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Activity 4A: Answer Key

$1. \frac{1}{2} + \frac{1}{3} = \frac{3}{6} + \frac{2}{6} = \frac{5}{6}$
 $2. \frac{1}{4} - \frac{1}{8} = \frac{2}{8} - \frac{1}{8} = \frac{1}{8}$
 $3. \frac{1}{5} \cdot \frac{2}{3} = \frac{2}{15}$
 $4. \frac{1}{6} \div \frac{1}{3} = \frac{1}{6} \cdot \frac{3}{1} = \frac{3}{6} = \frac{1}{2}$

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Keeping Math Expressions Together When Possible

- A math expression cannot be divided across lines if it fits on a single braille line.
- Switch indicators may be separated from the math.

11. Find a set C and a set D where $C \cap D = \emptyset$ and $C \cup D = \{1, 2, 3, 4, 5, 6, 7, 8\}$.

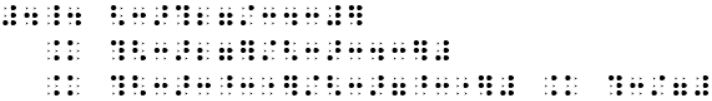
$C = \{1, 2, 3, 4, 5, 6, 7, 8\}$
 $D = \emptyset$
 $C \cap D = \emptyset$
 $C \cup D = \{1, 2, 3, 4, 5, 6, 7, 8\}$


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Dividing Long Problems Across Lines

- When a math expression will not fit on one line, divide
 - before the sign of comparison
 - before an operation sign

$$4. \sqrt[3]{\frac{27}{343}} = \frac{\sqrt[3]{27}}{\sqrt[3]{343}} = \frac{\sqrt[3]{3^3}}{\sqrt[3]{7^3}} = \frac{3}{7}$$


$$8. 99 \times 6[(5 - 1) \times (2 + 4)] + 37 + \frac{1}{2} = ?$$


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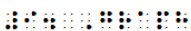
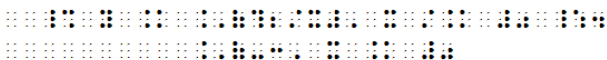
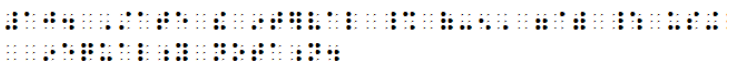
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Example of a Word Problem

- Numbering of word problems can be in UEB.
- There is a blank line before and after the piecewise equation.
- Enlarged grouping symbols begin in the same braille cell.
- The period is placed at the end of the first line of the equation.

$$9. \text{ Graph } y = \begin{cases} \frac{2}{x}, & x \neq 0 \\ -3, & x = 0 \end{cases} .$$

10. State the interval $(-5, 7]$ using inequality notation.

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Activity 4B

- Transcribe the problems below.

1. Graph $y = \begin{cases} -x - 2, x \leq -2 \\ \sqrt{4 - x^2}, -2 < x < 2 \\ x - 2, x \geq 2 \end{cases}$.

2. What is the final step? $\sqrt[3]{\frac{y^5}{x^3}} = \frac{\sqrt[3]{y^5}}{\sqrt[3]{x^3}} = \frac{\sqrt[3]{y^3 \cdot y^2}}{\sqrt[3]{x^3}} =$

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Activity 4B: Answer Key

1. Graph $y = \begin{cases} -x - 2, x \leq -2 \\ \sqrt{4 - x^2}, -2 < x < 2 \\ x - 2, x \geq 2 \end{cases}$.

2. What is the final step? $\sqrt[3]{\frac{y^5}{x^3}} = \frac{\sqrt[3]{y^5}}{\sqrt[3]{x^3}} = \frac{\sqrt[3]{y^3 \cdot y^2}}{\sqrt[3]{x^3}} =$

3. Graph $y = \begin{cases} -x - 2, x \leq -2 \\ \sqrt{4 - x^2}, -2 < x < 2 \\ x - 2, x \geq 2 \end{cases}$.

4. What is the final step? $\sqrt[3]{\frac{y^5}{x^3}} = \frac{\sqrt[3]{y^5}}{\sqrt[3]{x^3}} = \frac{\sqrt[3]{y^3 \cdot y^2}}{\sqrt[3]{x^3}} =$

5. What is the final step? $\sqrt[3]{\frac{y^5}{x^3}} = \frac{\sqrt[3]{y^5}}{\sqrt[3]{x^3}} = \frac{\sqrt[3]{y^3 \cdot y^2}}{\sqrt[3]{x^3}} =$

6. What is the final step? $\sqrt[3]{\frac{y^5}{x^3}} = \frac{\sqrt[3]{y^5}}{\sqrt[3]{x^3}} = \frac{\sqrt[3]{y^3 \cdot y^2}}{\sqrt[3]{x^3}} =$

7. What is the final step? $\sqrt[3]{\frac{y^5}{x^3}} = \frac{\sqrt[3]{y^5}}{\sqrt[3]{x^3}} = \frac{\sqrt[3]{y^3 \cdot y^2}}{\sqrt[3]{x^3}} =$

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Formal Geometry Proofs

- Leave a blank line between auxiliary paragraphs and the beginning of the formal proof.
- Start each step in cell 1.
- After each step number, transcribe "S" for statement or "R" for reason. There is no space between the number and subsequent letter.
- If necessary, run-over lines for each step begin in cell 3.
- It is important that "each step from the Statements column is immediately followed by the corresponding step from the Reasons column."

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Example of a Formal Proof

Auxiliary statements

Blank line

Given: $\overline{BC} \cong \overline{DC}, \overline{AB} \parallel \overline{DE}$

Prove: $\triangle ABC \cong \triangle EDC$

Statement	Reason
1. $\overline{BC} \cong \overline{DC}, \overline{AB} \parallel \overline{DE}$	1. Given
2. $\angle ACB \cong \angle ECD$	2. Vertical angles are congruent
3. $\angle ABC \cong \angle EDC$	3. If parallel, alternate interior angles are congruent
4. $\triangle ABC \cong \triangle EDC$	4. ASA

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2. $\angle ACB \cong \angle ECD$	2. Vertical angles are congruent
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Activity 4C

Transcribe the auxiliary paragraphs and formal proof below:

Given: $\angle 1$ and $\angle 3$ are vertical angles.
 Prove: $\angle 1 \cong \angle 3$

Statements	Reasons
1. $\angle 1$ and $\angle 3$ are vertical angles.	1. Given
2. $m\angle 1 + m\angle 2 = 180$ $m\angle 3 + m\angle 2 = 180$	2. Linear Pair Postulate
3. $m\angle 1 + m\angle 2 = m\angle 3 + m\angle 2$	3. Substitution Property of Equality
4. $m\angle 1 = m\angle 3$	4. Subtraction Property of Equality
5. $\angle 1 \cong \angle 3$	5. Definition of congruent angles

Activity 4C: Answer Key

Given: $\angle 1$ and $\angle 3$ are vertical angles.
 Prove: $\angle 1 \cong \angle 3$

Statements	Reasons
1. $\angle 1$ and $\angle 3$ are vertical angles.	1. Given
2. $m\angle 1 + m\angle 2 = 180$ $m\angle 3 + m\angle 2 = 180$	2. Linear Pair Postulate
3. $m\angle 1 + m\angle 2 = m\angle 3 + m\angle 2$	3. Substitution Property of Equality
4. $m\angle 1 = m\angle 3$	4. Subtraction Property of Equality
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